

Chapter 10

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Categorical data: qualitative خواصی

test of Hypothesis between
2 sample proportion ($\hat{P}_1 - \hat{P}_2$)

normal
method

contingency
table

$$Z = \frac{(\hat{P}_1 - \hat{P}_2) - (P_1 - P_2)}{\sqrt{P^* q^* (\frac{1}{n} + \frac{1}{m})}}$$

$$P^* = \frac{x+y}{n+m}$$

$$\hat{P}_1 = \frac{x}{n}$$

$$\hat{P}_2 = \frac{y}{m}$$

$$x = \hat{P}_1 n$$

$$y = \hat{P}_2 m$$

$$P^* = 1 - P^*$$

$$Z_{\text{corr}} = \frac{(\hat{P}_1 - \hat{P}_2) - (\frac{1}{n} + \frac{1}{m})}{\sqrt{P^* q^* (\frac{1}{n} + \frac{1}{m})}}$$

- test statistic : Z or Zcorr

test of hypothesis between 2 sample proportion ($\hat{P}_1 - \hat{P}_2$)

normal
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table

observe	observe	Row
observe	observe	Row
observe	observe	column

Expected value

$$E = \frac{R \times C}{g \cdot tot}$$

chi squared

$$\chi^2 = \left\{ \frac{(O - E)^2}{E} \right\}$$

$$\chi^2_{corr} = \left\{ \frac{(|O - E| - \frac{1}{2})^2}{E} \right\}$$

Test statistic : Chi squared

$$d.f = 1$$

إذا الجدول اخر من يامودين او اخر من صفين ($d.f = (R-1)(C-1)$)

عدد الصفوف - 1 عدد الاصناف - 1

$d.f = (R-1)(C-1)$

Notes :

- always the Expected value more than 5
- in chi squared always the test right tailed test
- اذا ما اعطيك قيمة alpha افترضها 0.05
- H_0 : if they are independent
- H_1 : if they are dependent

اذا عطاك table

more than 2 Rows or more than 2 Columns

1 - Test stat : Always χ^2 الصادقة

2- $J \cdot f = (R - 1) (C - 1)$ ما يعبر صون على الـ $J \cdot f$ =
لان اصغر من حدوبي او صغير

Goodness of fit test (Chi squared)

كيف تعرف أن المسؤال صحيح
validity of assumption be test

test stat $\sum (O - E)^2 / E$ يعطى بدول وبطريق

(Chi squared or test stat)

$$P(X > 12)$$

مطوات Expected Value

$$P(X \geq 13)$$

مطوات مفهوم equality - 1
أقل من 12.5 يكون فيه مساواة

$$P(X \geq 12.5)$$
 continuity correction - 2

$$P(Z \geq \frac{12.5 - \mu}{\sigma})$$

Z حول - 3

$$P(Z \geq Z_{\text{critical}})$$

Probability \times grand total

يطلع احتمال

number of estimator
 \uparrow s عدد القيم

$$d.f = g - K - 1$$

number of group

- the test stat of Goodness of fit tested : Chi squared